

# Edge Modelling Using the GEM Code

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# physical scenario

- AUG shot #18737, early times, ca 2 sec

- three cases on profiles approximated by straight lines

- general

$$B = 2 \text{ T} \quad q = 4 \quad R_0 = 165 \text{ cm} \quad \delta = 1$$

- pos 1 cm

$$n_e = 1 \times 10^{13} \text{ cm}^{-3} \quad T_e = 100 \text{ eV} \quad T_i = 150 \text{ eV} \\ L_{\perp} = L_{T_e} = 3 \text{ cm} \quad L_{T_e}/L_{T_i} = 0.4 \quad L_{T_e}/L_n = 0.125$$

- pos 3 cm

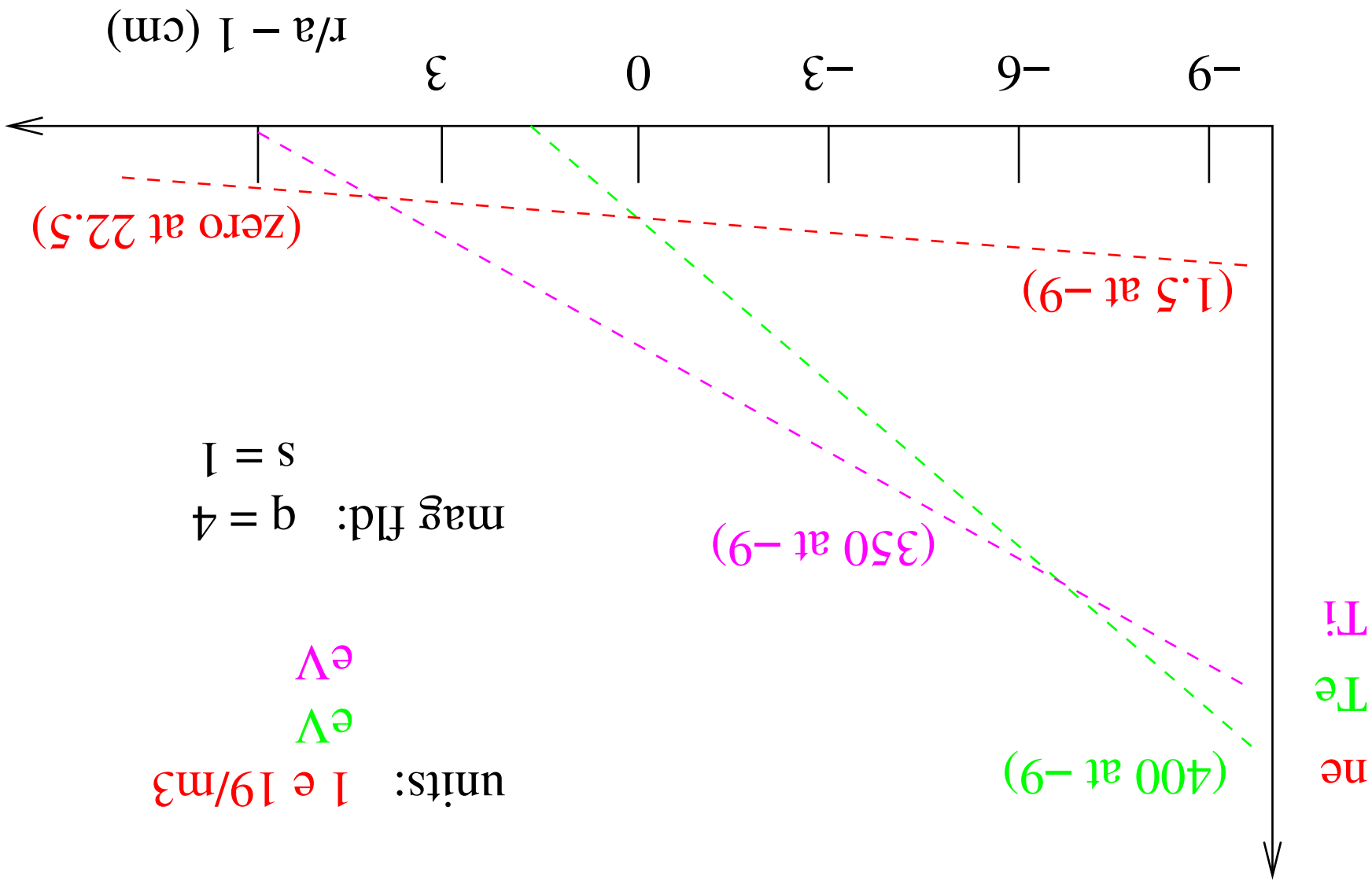
$$n_e = 1.25 \times 10^{13} \text{ cm}^{-3} \quad T_e = 200 \text{ eV} \quad T_i = 250 \text{ eV} \\ L_{\perp} = L_{T_e} = 6 \text{ cm} \quad L_{T_e}/L_{T_i} = 0.57 \quad L_{T_e}/L_n = 0.21$$

- pos 5 cm

$$n_e = 1.5 \times 10^{13} \text{ cm}^{-3} \quad T_e = 300 \text{ eV} \quad T_i = 300 \text{ eV} \\ L_{\perp} = L_{T_e} = 9 \text{ cm} \quad L_{T_e}/L_{T_i} = 0.667 \quad L_{T_e}/L_n = 0.3$$

- positions are as given from B2 plots, actual flux avg ( $r_a$ ) is  $1.5 \times$  that

# Model AUG profiles for GEM scan



# normalised parameter sets and runs

- from GEM runs with model profiles taken from B2-SOLPS
  - positions  $r_a = r/a$  (“rho volume”), parameters ...

$$\hat{\beta} = \beta_e \left( \frac{qR}{LT} \right)^2$$

$$\hat{\mu} = \frac{m_e}{M_D} \left( \frac{LT}{qR} \right)^2$$

$$\nu = \frac{c_s}{L_T} \frac{1}{v_e}$$

hence  $C = 0.51 \mu \nu$

$$\omega_n = \frac{d \log n}{d \log T_e} \quad \omega_i = \frac{d \log T_i}{d \log T_e} \quad \tau_i = \frac{T_i}{T_e}$$

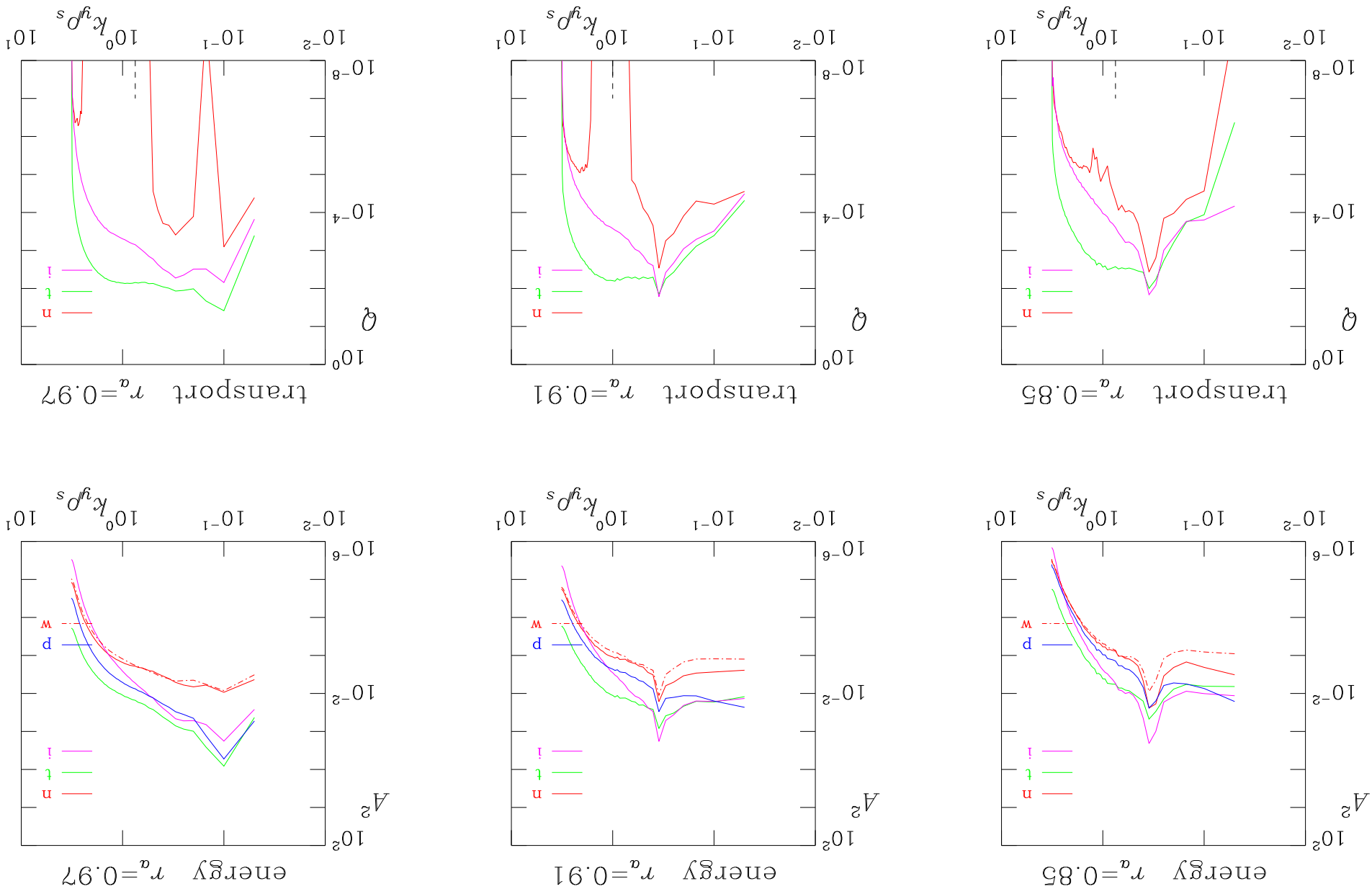
ra = 0.97,	beta = 2.44,	mu = 13.2,	nu = 0.353	tau <sub>i</sub> = 1.5,	wn = 0.125,	w <sub>i</sub> = 0.4
ra = 0.91,	beta = 1.52,	mu = 3.30,	nu = 0.221	tau <sub>i</sub> = 1.2,	wn = 0.21,	w <sub>i</sub> = 0.57
ra = 0.85,	beta = 1.22,	mu = 1.46,	nu = 0.176	tau <sub>i</sub> = 1.0,	wn = 0.3,	w <sub>i</sub> = 0.667

- run results (cf. next page):

- small scales always involved – drift wave/ETG structure
  - often superposed by peak mode with ITG/ballooning structure

- median mode for electron thermal transport shown
  - most obvious energy/transport peak not always dominant player!

# EDGE/CORE Transition – energy and transport spectra



# diffusivity results

- fluxes specified as velocities, in terms of  $V_{GB} = c_s \times \delta^2$  with drift parameter  $\delta = \rho_s/L_{\perp}$ 
  - divide by corresponding scale length to get nominal diffusivities in terms of  $D_{GB} = \rho_s^2 c_s / L_{\perp}$
- particle and conductive heat fluxes, diffusivities

• pos 1 cm:  $V_{GB} = 40.1$  m/sec and  $D_{GB} = 1.20$  m<sup>2</sup>/sec

$$\Gamma = 0.00126 \quad G_e = 0.449 \quad G_i = 0.0499$$

$$D = 0.0101 \quad \chi_e = 0.449 \quad \chi_i = 0.125$$

• pos 3 cm:  $V_{GB} = 28.4$  m/sec and  $D_{GB} = 1.70$  m<sup>2</sup>/sec

$$\Gamma = 0.00679 \quad G_e = 0.257 \quad G_i = 0.0508$$

$$D = 0.0323 \quad \chi_e = 0.257 \quad \chi_i = 0.0891$$

• pos 5 cm:  $V_{GB} = 23.2$  m/sec and  $D_{GB} = 2.09$  m<sup>2</sup>/sec

$$\Gamma = 0.0121 \quad G_e = 0.121 \quad G_i = 0.0550$$

$$D = 0.0403 \quad \chi_e = 0.121 \quad \chi_i = 0.0825$$

# EDGE/CORE Transition – fluxes

- radial run of transport fluxes (FLR corrections of these)

$$Q_e = 1.5 \langle \tilde{p}_x^e v_x^E \rangle \quad Q_i = 1.5 \langle \tilde{p}_x^i v_x^E \rangle$$

- express in terms of transport power ( $\times 8\pi^2 a R$ ):

$$\begin{aligned} ra = 0.97, \quad Q_e = 188 \text{ kW}, \quad Q_i = 31 \text{ kW}, \quad Q = 219 \text{ kW} \\ ra = 0.91, \quad Q_e = 190 \text{ kW}, \quad Q_i = 47 \text{ kW}, \quad Q = 237 \text{ kW} \\ ra = 0.85, \quad Q_e = 132 \text{ kW}, \quad Q_i = 60 \text{ kW}, \quad Q = 192 \text{ kW} \end{aligned}$$

- fluxes don't exactly match radially

◦ though trends of normalised fluxes and normalising units do tend towards cancellation

desired: fully inhomogeneous model over entire radial range

# gyrokinetic runs

- now try the same with a delta-f gyrokinetic model (as GENE/GS2), with
  - collisions, “shifted metric” f-tube geometry, non-periodic radial boundaries

$$\frac{\partial G}{\partial t} + \delta\omega_T F_M \frac{\partial \psi_e}{\partial y} + [\delta\psi, H]_{xy} + [\delta^a \psi + v_{\parallel} \chi, H]_{xs} - (\mu_B)^m \chi' [\log B, f]_{sv_{\parallel}} = C(f)$$

with  $\delta = c/B$  and  $\delta_a = c/Ba$ , and Poisson brackets [, ] and potentials

$$G = f + e \frac{c}{v_{\parallel} F_M} J_0 A_{\parallel} \quad H = f + e \frac{J}{F_M} J_0 \phi$$

$$\psi_e = J_0 \left( \phi - \frac{c}{v_{\parallel} A_{\parallel}} \right) \quad \psi = \psi_e + \frac{e}{mv_{\parallel}^2 + \mu_B} \log B$$

- and with polarisation and induction

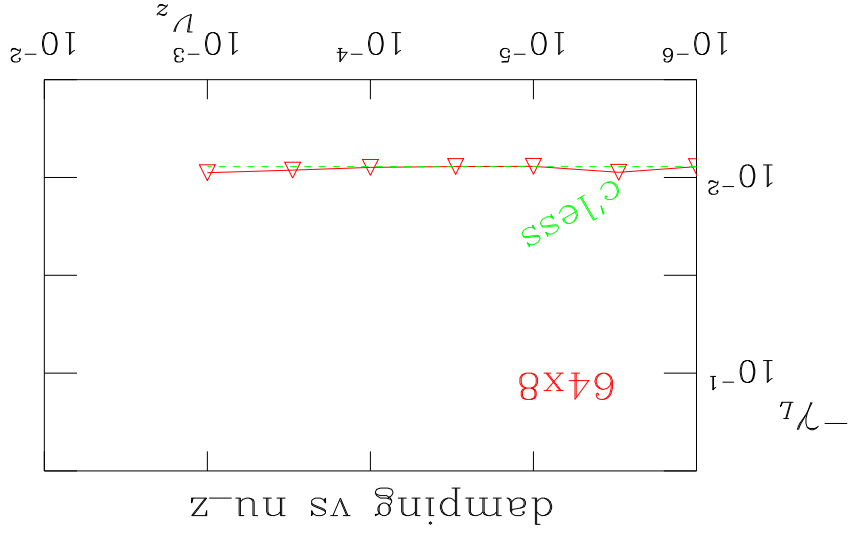
$$\sum^{\text{sp}} \int d\mathcal{W} \left[ e J_0 f + (J_0^2 - 1) \frac{J}{F_M} e^2 \phi \right] = 0 \quad \Delta_2^{\perp} A_{\parallel} + \frac{c}{4\pi} \sum^{\text{sp}} \int d\mathcal{W} [e v_{\parallel} J_0 f] = 0$$



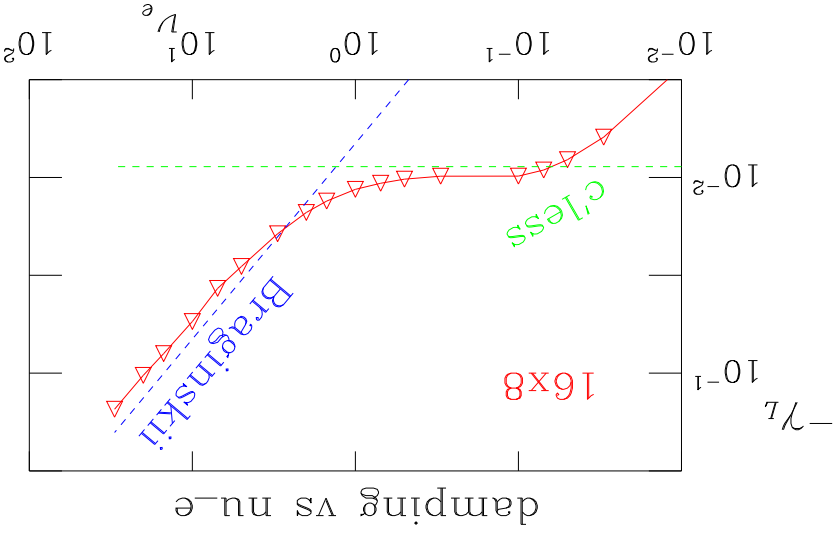
# KALF Damping Rate, collisionality scaling

FEF13,  $\beta_e = 10^{-4}$ ,  $\mu_e^{-1} = 3670$ ,  $qR/L_\perp = 100$ ,  $k_\perp \rho_s = 0.1$

- collisionless (left) and trans-collisional (right)



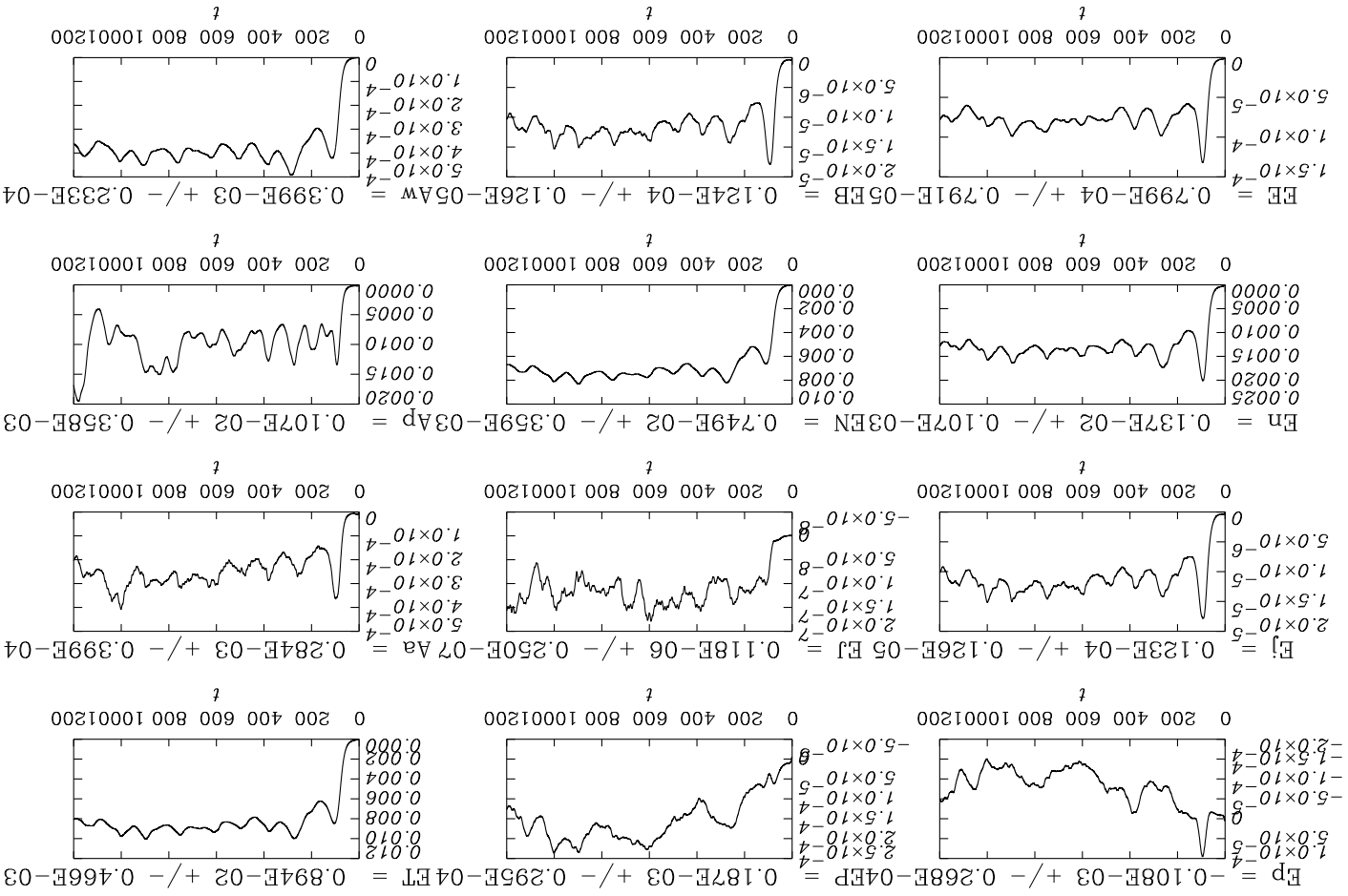
- recursion problems for  $\nu^z > 10^{-5}$
- non-thermalisation for  $\nu^z > 10^{-3}$
- well converged for  $N^z = 64$



- collisional regime for  $\nu_e > 1$
- $v_\parallel$ -space grid problems for  $\nu_e > 0.1$
- usual edge turb range is  $\nu_e \sim 1$

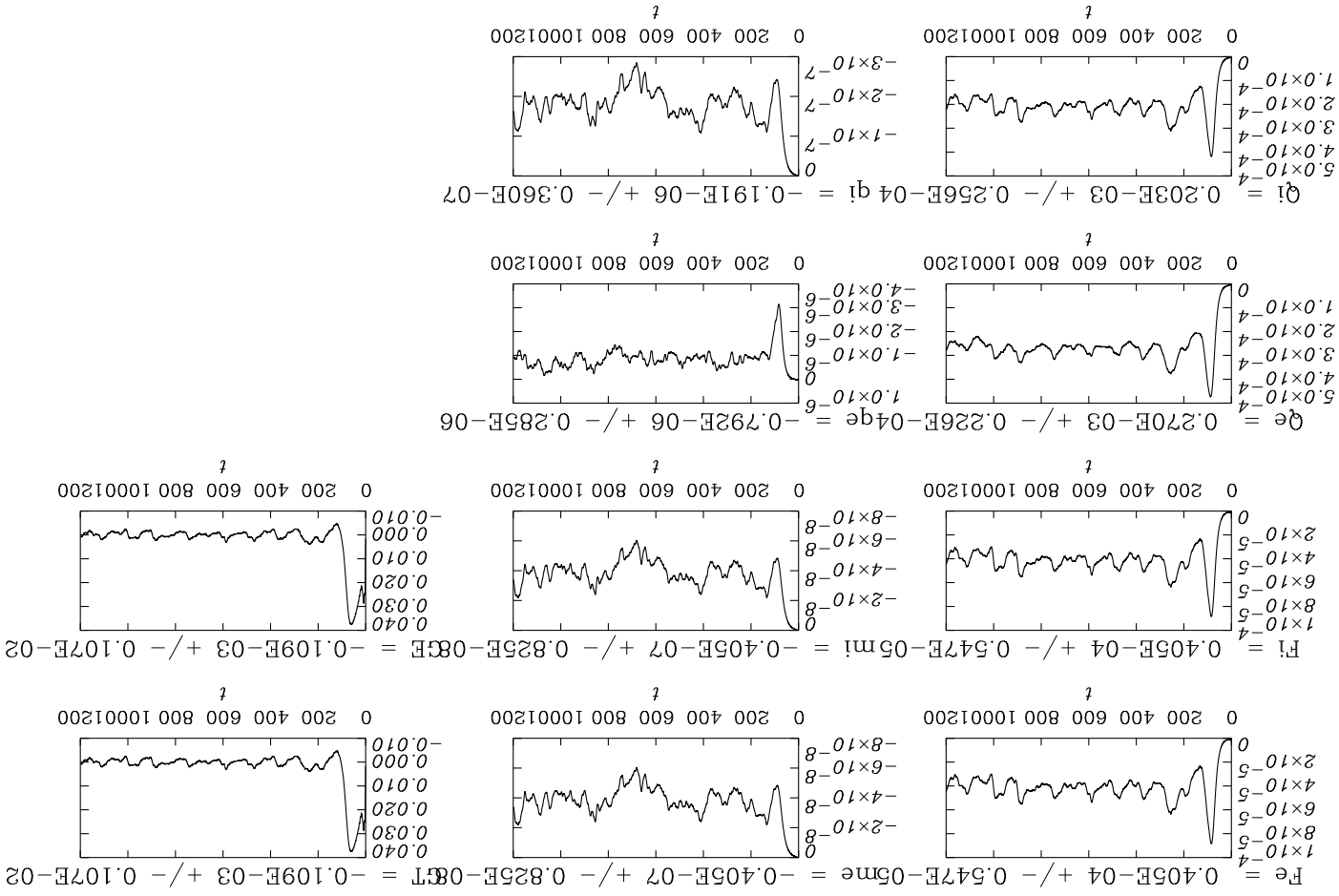
# time traces, amplitudes, showing saturation

position 1 cm,  $\beta = 2.44$ ,  $\mu = 13.2$ ,  $\nu = 0.353$

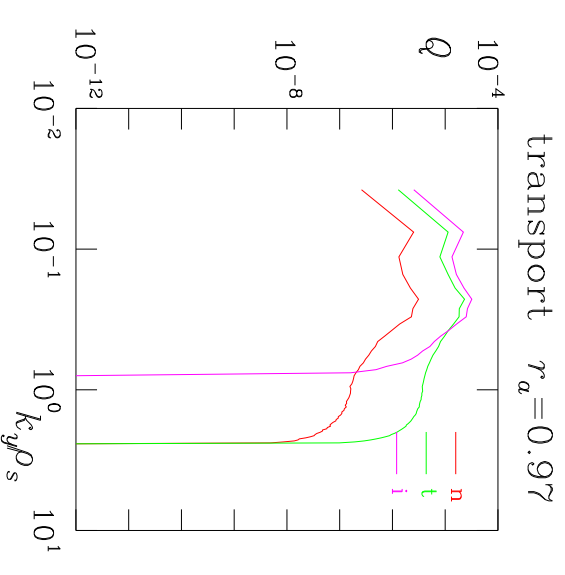
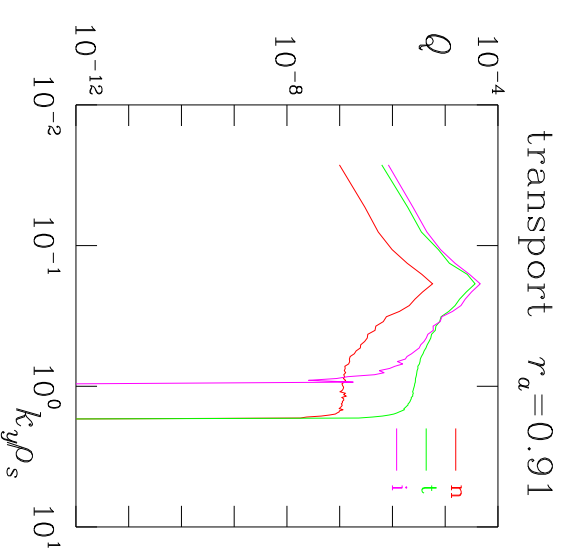
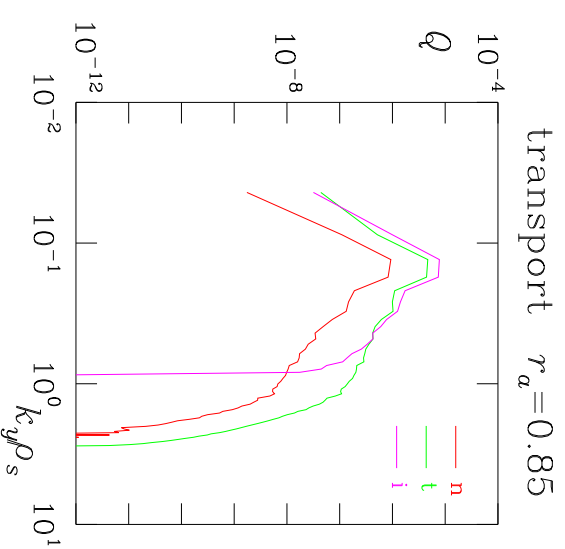
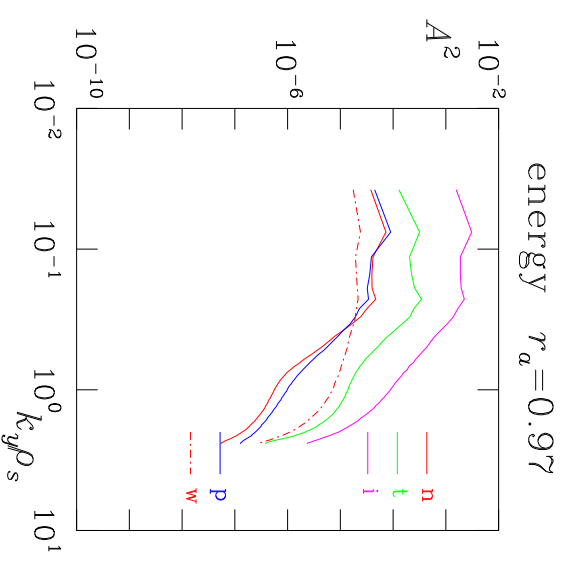
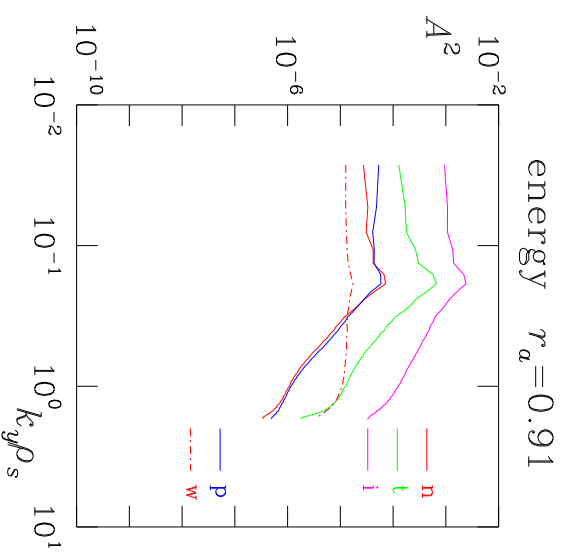
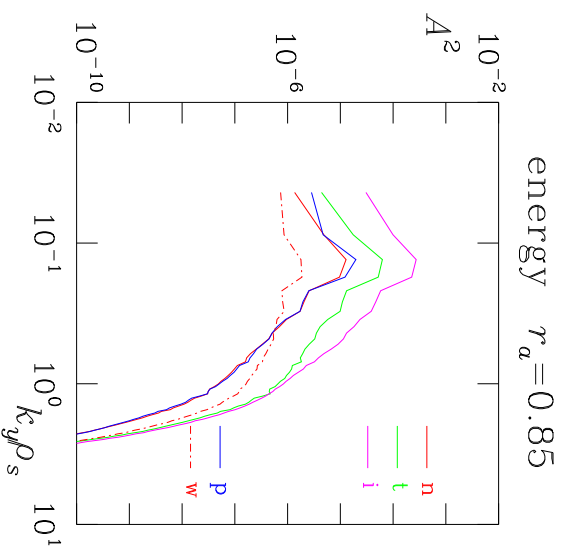


# time traces, fluxes, showing saturation

position 1 cm,  $\beta = 2.44$ ,  $\mu = 13.2$ ,  $\nu = 0.353$



# EDGE/CORE Transition – energy and transport spectra



## notes

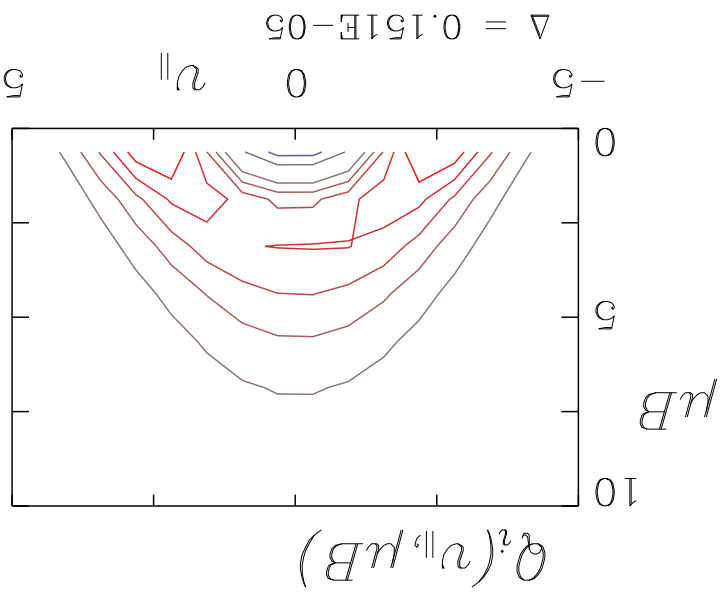
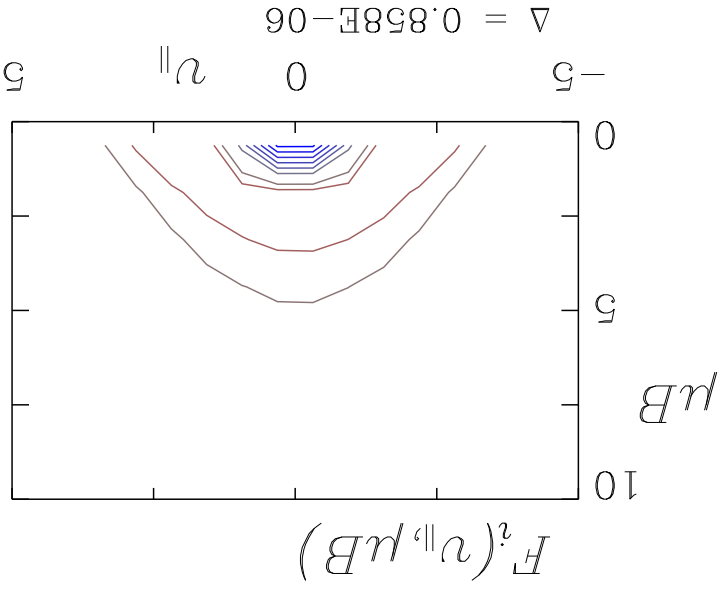
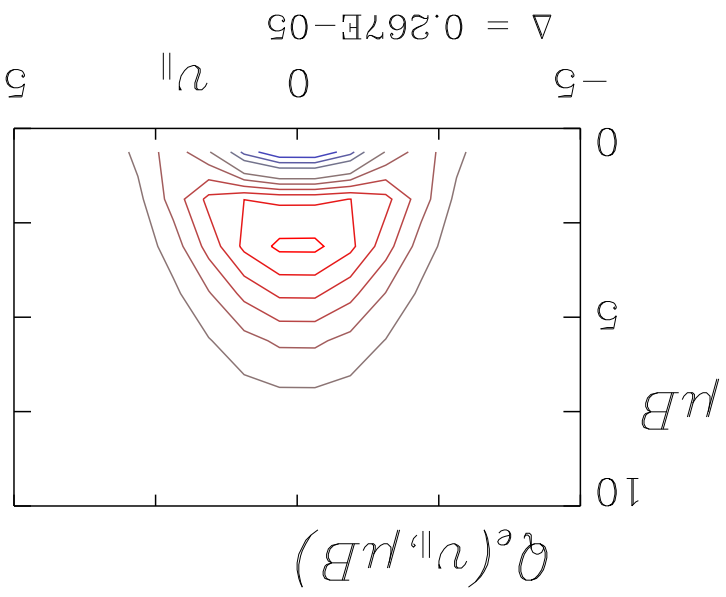
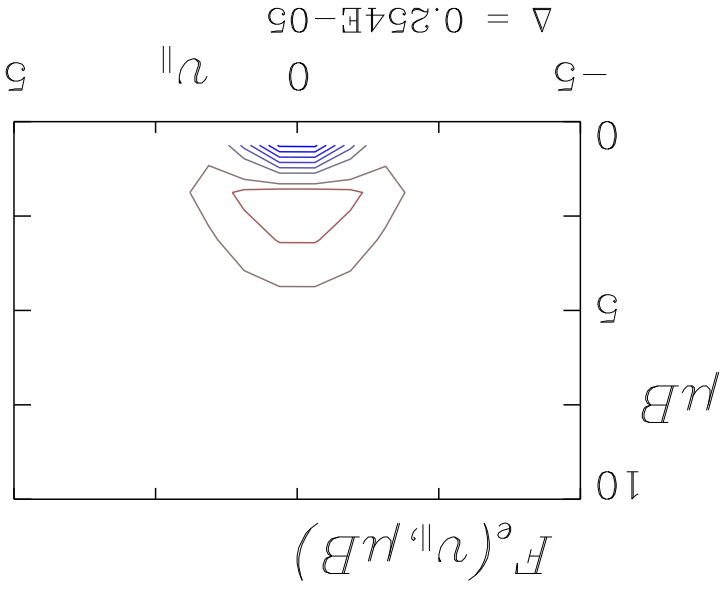
- quite different spectral structure from GEM runs
- velocity space distribution of heat flux shows
  - dominance by particles with over twice thermal velocity
  - perp energy region (mostly  $v_{\perp}^2$ ) for electrons
  - parallel energy region (mostly  $v_{\parallel}^2$ ) for ions
  - collisionality for these particles is very low

very significant trapped electron effects

# velocity space dependence of ExB fluxes

position 1 cm,  $\beta = 2.44$ ,  $\mu = 13.2$ ,  $\nu = 0.353$

$t = 0.120E+04$



# EDGE/CORE Transition – fluxes

- radial run of transport fluxes (FLR corrections of these)

$$Q_e = 1.5 \langle \tilde{p}_x^e v_x^E \rangle \quad Q_i = 1.5 \langle \tilde{p}_x^i v_x^E \rangle$$

- express in terms of transport power ( $\times 8\pi^2 a R$ ):

$ra = 0.97,$	$Q_e = 194 \text{ kW},$	$Q_i = 220 \text{ kW},$	$Q = 414 \text{ kW}$
$ra = 0.91,$	$Q_e = 727 \text{ kW},$	$Q_i = 761 \text{ kW},$	$Q = 1488 \text{ kW}$
$ra = 0.85,$	$Q_e = 108 \text{ kW},$	$Q_i = 117 \text{ kW},$	$Q = 225 \text{ kW}$

- fluxes don't match radially at all
  - possible resolution problems

desired: fully inhomogeneous model over entire radial range

- coming Real Soon Now: full-f FEF1 gyrokinetic code treating entire 16 cm layer